



**FACULTY OF SCIENCE AND TECHNOLOGY**

**SUBJECT:** MPE 450 Modern Well Design

**DATE:** May 18, 2009

**TIME:** 0900-1300

**AID:** Approved calculator

**THE EXAM CONSISTS OF 4 PROBLEMS ON 6 PAGES**

**REMARKS:** Formula sheet is enclosed.

**PLEASE STATE ALL ASSUMPTIONS**

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**Problem 1: Mud weight and drilling problems (15%)**

Give a description of the following drilling problems and give a recommendation of what mud weight (high or low) that should be used to decrease the problem.

- a) Lost circulation
- b) Reduced drilling rate
- c) Borehole collapse
- d) Fill
- e) Pressure variations
- f) Clay swelling
- g) Washouts
- h) Pore pressure estimations
- i) Tight hole
- j) Differential sticking

## **Problem 2: Mud weight and the median line principle (15%)**

- a) Define the median line principle. You are also required to make some schematic drawings containing the borehole and the in-situ stresses and relate some common borehole problems to the borehole stress/mud weight relationship.
- b) A median line mud weight design methodology is often used. Fill in and describe as best you can each of the 6 stages of the design methodology:
  - 1) Establish ...
  - 2) Draw ...
  - 3) Design ...
  - 4) Mark out ...
  - 5) Design ...
  - 6) Avoid ...

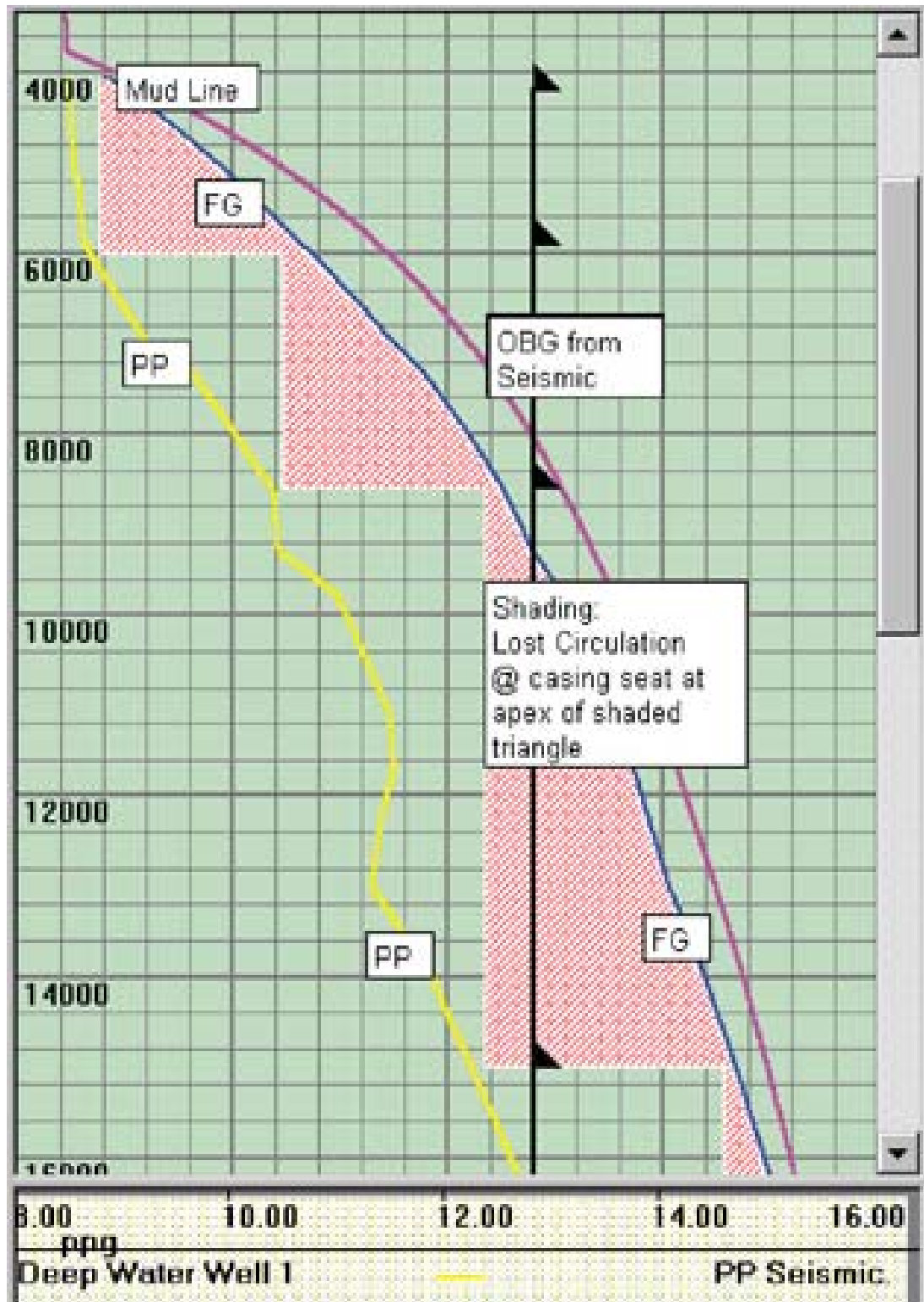
## **Problem 3: Casing setting depth from reduced well integrity considerations (30%)**

You are asked to perform a reduced integrity design for the 14" casing string in the well below. The 12 ¼" open hole is planned to 4900m using a 5" drill pipe and mud weight of 1.55 s.g. The 14" casing is a grade P-110, 86 lbs/ft, with a burst pressure of 569 bars. The geologists expect the formation fluid to be methane gas with density of 0.17 s.g. Based on experience with high wear on casing, a safety factor of 20% must be applied.

Calculate the following:

- Deepest setting depth of 14" casing [meters].
- Maximum allowable fracture gradient to ensure that the formation below the casing shoe represent the weak point [s.g.].
- Minimum fracture gradient to be able to drill the 12 ¼" open hole section to 4900m [s.g.].
- Kick margin [m<sup>3</sup>].

Hint: You should convert numbers in the figure into meters and s.g.



OBG = Overburden gradient  
 FG = Fracture gradient  
 PP = Pore pressure

#### Problem 4: Casing design (40%)

You are designing a 9 5/8" production casing. A 5000 psi wellhead is installed.

The following well data applies:

Depth of casing:	4900 m
Depth to production packer:	4850 m
Depth to seabed:	900 m
Depth to sealevel:	30 m
Depth to top cement:	4575 m
Pore pressure gradient:	1.52 s.g.
Formation fluid density:	0.79 s.g.
Mud density:	1.55 s.g.
Cement density:	1.74 s.g.
Completion fluid density:	1.15 s.g.

The following casing data applies:

9-5/8" grade P-110, 47 lbs/ft casing	
Casing weight:	69.9 kg/m
Crosssectional inner area:	382 cm <sup>2</sup>
Wall thickness:	0.472 inch
Burst strength:	651 bar
Collapse strength:	366 bar
Pipe body yield strength:	7200 kN

The following minimum casing design factors applies:

Tension	1.4
Burst	1.0
Collapse	1.0

Other corrections that applies:

Collapse strength derating due to biaxial forces (see figure on next page).	
Derating of tensional strength due to wear:	10 %
Derating due to corrosion below packer	5 %
Additional tension due to bending	1040 kN

Evaluate different collapse, burst and tension criteria and calculate the following design factors:

- Collapse design factor
- Burst design factor
- Tension design factor

Is the proposed casing (9-5/8" grade P-110) an acceptable choice for this production casing?

**YOU ARE REQUIRED TO MAKE FIGURES FOR ALL DESIGN CRITERIA**

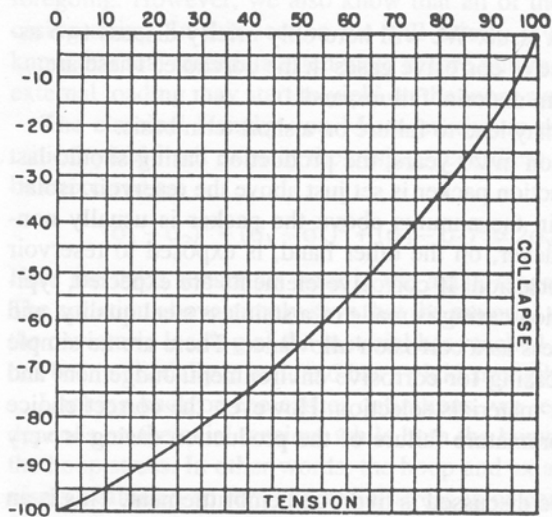
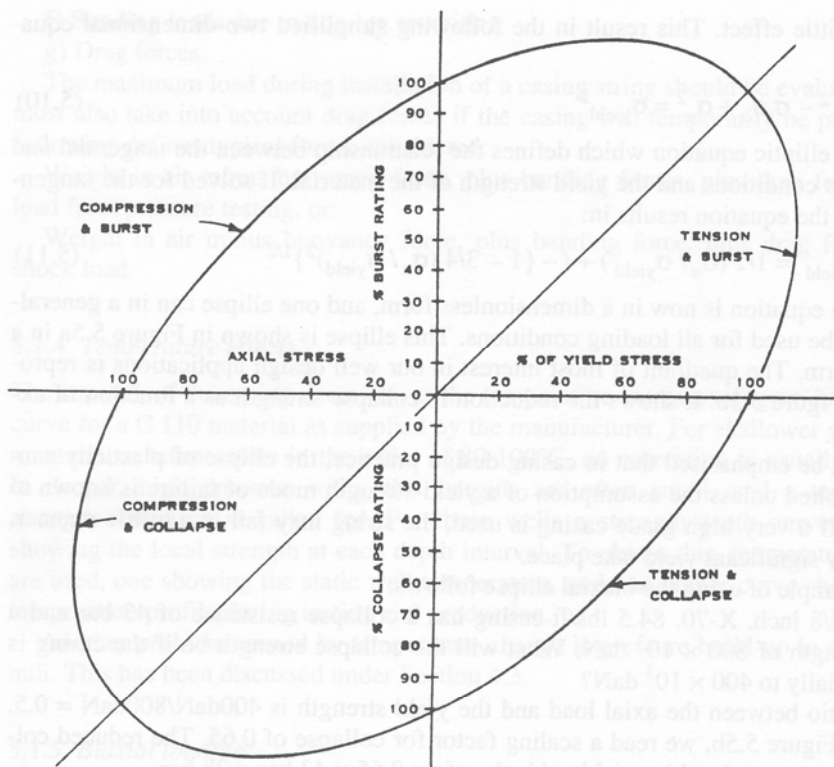


Figure 5.5. Ellipse of plasticity. a) Bi-axial relationships between tangential and axial stresses, b) Effects of axial tension on collapse resistance.

## Some Formulas

$$d_{\text{RKB1}} = d_{\text{RKB2}} D / (D - \delta h)$$

$$\text{LOT} = 2\sigma_a - P_o$$

$$P_{\text{wf}}(\gamma) = P_{\text{wf}}(0) + \frac{1}{3} (P_o - P_o^*) \sin^2 \gamma$$

$$P_{\text{wf}}(0) = \{P_{\text{wf}}(\gamma) + (\sigma_o - \frac{1}{2}P_o) \sin^2 \gamma\} / \{1 + \frac{1}{2} \sin^2 \gamma\}$$

$$\Delta\sigma_a = \Delta P_o (1 - 2\nu) / (1 - \nu)$$

$$\Delta P_{\text{wf}} = \Delta P_o (1 - 3\nu) / (1 - \nu)$$

$$P_{\text{burst}} = 2\sigma_{\text{tensile}} t / D_o$$

$$P_{\text{collapse}} = \{2CE / (1 - \nu^2)\} \{1 / (D_o / t - 1)^2 D_o / t\}$$

$$(\sigma_t / \sigma_{\text{yield}}) = \frac{1}{2} (\sigma_a / \sigma_{\text{yield}}) + / - \{1 - \frac{3}{4} (\sigma_a / \sigma_{\text{yield}})^2\}^{1/2}$$

$$\rho = (d_p D - 1.03 h_w) / (D - h_f - h_w)$$

$$d_{\text{wf2}} = d_{\text{wf1}} \frac{D_1}{D_2} + d_{\text{sw}} \frac{D_{w2} - D_{w1}}{D_2}$$

$$D_2 = D_1 + (D_{w2} - D_{w1}) + (D_{f2} - D_{f1})$$

$$D_2 = D_1 + (D_{w2} - D_{w1}) + (D_{f2} - D_{f1}) + \left( \frac{d_{ob1}}{d_{ob2}} - 1 \right) (D_1 - D_{w1} - D_{f1})$$

### Units

$$1 \text{ bar} = 14.5 \text{ psi} = 10^5 \text{ Pa}$$

$$1 \text{ ft} = 0.3048 \text{ m} = 12 \text{ in}$$

$$1 \text{ lb}_f = 0.454 \text{ kp} = 4.45 \text{ N}$$

$$1 \text{ s.g.} = 8.33 \text{ ppg}$$